

# Controlling the flow of program execution

One of Python's innovations is to use **indentation:**

to mark program blocks.

Other languages use curly braces

```
{  
... bunch of code ...  
}
```

or keywords

```
BEGIN  
... bunch of code ...  
END
```

and **DON'T CARE** about indentation.



Guido van Rossum  
launched Python in 1989.

This fussy dependence on hierarchical formatting is almost unique to computer programming languages.

It makes them "brittle". (Code is easily "broken" by teeny-weenie flaws.)

Natural human languages have nothing like this, whether spoken, or in writing. We get away with "Well, you know what I mean!"

So it's a trap for beginners. (Don't worry!)

# Example #1: the for-loop

In Python, it steps through a **list** - any list!

```
nums = [1, 2, 3, 4, 5, 6]
factorial = 1
for x in nums:
    factorial = factorial * x
    print("%d! = %d" % (x, factorial))
```

```
= RESTART: C:/Users/Jon/Desktop
```

```
1! = 1
```

```
2! = 2
```

```
3! = 6
```

```
4! = 24
```

```
5! = 120
```

```
6! = 720
```

```
>>>
```

## A more "Pythonic" translation ...

```
nums = range(1,7)
factorial = 1
for x in nums:
    factorial *= x
    print("%d! = %d" % (x,factorial))
```

```
= RESTART: C:/Users/Jon/Desktop
```

```
1! = 1
```

```
2! = 2
```

```
3! = 6
```

```
4! = 24
```

```
5! = 120
```

```
6! = 720
```

```
>>>
```

## Example #2: functions

```
def var(x_vector):  
    sum_x = float(sum(x_vector))  
    mean_x = sum_x/float(len(x_vector))  
  
    sum_dev_sq = 0.0  
    for x in x_vector:  
        sum_dev_sq += (x - mean_x)**2  
  
    variance = sum_dev_sq/float(len(x_vector))  
  
    return variance  
  
nums = [1,2,3,4,5,6]  
# Or, nums = range(1,7)  
  
print("variance of nums[] = %.1f" % (var(nums)))  
  
= RESTART: C:/Users/Jon/Desktop  
variance of nums[] = 2.9
```

Or better, use the simpler way to calculate `var()`

```
def var2(xvec):
    m = msq = 0.0
    for x in xvec:
        m += x
        msq += x*x

    n = len(xvec)
    m /= n
    msq /= n

    return msq - m*m          # E(x**2) - [E(x)]**2

print("easier variance of nums[] = %.1f" % (var2(nums)))

= RESTART: C:/Users/Jon/Desktop
easier variance of nums[] = 2.9
```

```

from random import random                                     # line number 1

# define a function to return the variance of values in xvec # 3
def var(xvec):                                             # 4
    m = msq = 0.0                                          # 5
    for x in xvec:                                        # 6
        m += x                                            # 7
        msq += x*x                                        # 8
    n = float(len(xvec))                                  # 9
    m /= n                                                # 10
    msq /= n                                              # 11
    return (msq - m*m)                                    # 12

w = [3246, 3449, 2897, 2841, 3635, 3932]                 # counts from white die # 14
r = [3407, 3631, 3176, 2916, 3448, 3422]                 # counts from red die # 15

Vw = var(w)                                               # 17
Vr = var(r)                                               # 18
print("Var(white):", Vw)                                   # 19
print("Var(red) :", Vr)                                   # 20

nreps = 10                                                # adjust this to do more replicates # 22
for rep in xrange(nreps):                                  # outer loop: replicates of expt. # 23
    count = [0,0,0,0,0,0]                                  # count[i] accumulates the numbers of # 24
                                                # rolls that showed i+1 spots # 25
    for roll in range(20000):                              # inner loop: rolls of the die # 26
        spots = int(6.0*random())                         # uniform on [0,1,2,3,4,5] fn(fn()) # 27
        count[spots] += 1                                 # accumulate spot numbers # 28

v = var(count)                                            # and here's our function call # 30

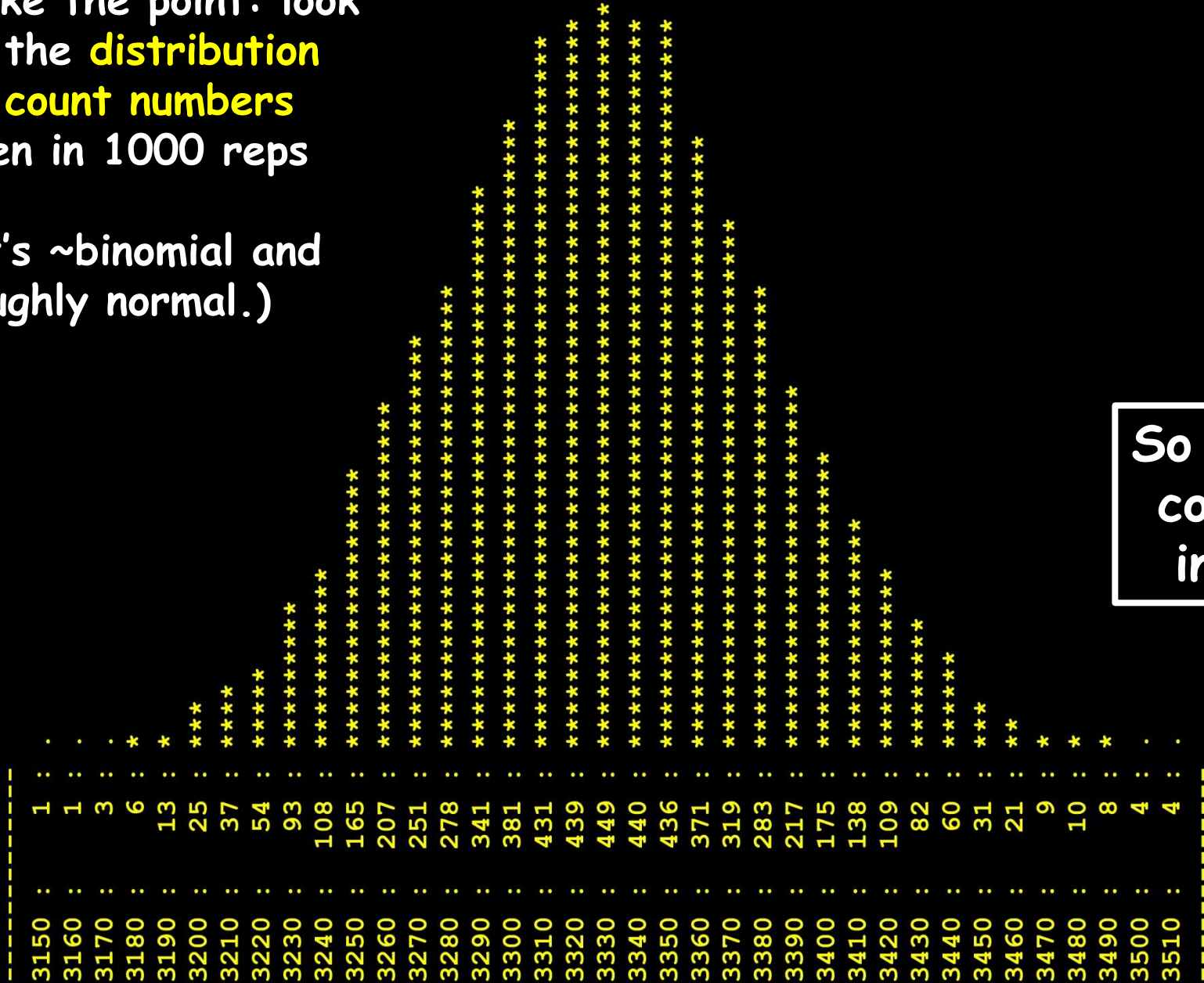
print("Replicate # %d: var=%f" % (rep, v)) # REMOVE ME later # 32

```

## Example #3: Loops within loops!

A different way to make the point: look at the **distribution of count numbers** seen in 1000 reps

(It's ~binomial and roughly normal.)



So 6000 counts in all



6000



```
# Wolf_counts_distribution.py
```

```
from random import random
```

```
# NO NEED FOR VARIANCE CALCULAION
```

```
w = [3246, 3449, 2897, 2841, 3635, 3932] # counts from white die  
r = [3407, 3631, 3176, 2916, 3448, 3422] # counts from red die
```

```
nreps = 1000
```

```
counts = [0 for i in range(5000)]
```

```
for rep in xrange(nreps): # outer loop: replicates of expt.  
    count = [0,0,0,0,0,0] # count[i] accumulates the numbers of  
                           # rolls that showed i+1 spots  
    for roll in range(20000): # inner loop: rolls of the die  
        spots = int(6.0*random()) # uniform on [0,1,2,3,4,5] fn(fn())  
        count[spots] += 1 # accumulate spot numbers  
  
    for x in range(6):  
        counts[count[x]] += 1
```

```
# AT THE END, PRINT EACH OBSERVED COUNT NUMBER, AND THE NUMBER OF TIMES IT WAS SEEN
```

```
for j in range(2000,4000):  
    if counts[j] > 0:  
        print("%4d : %4d" % (j,counts[j]))
```

```
# (Later turn this into a histogram) #
```

OR, keep track of the **largest variances seen** for your white and red dice (over all reps).

How?

Initialize a "max\_var" memory variable for each.

$$\text{max\_V\_w} = \text{max\_V\_r} = 0$$

Then (in the right place in your program):

```
if Vw > max_V_w:  
    max_V_w = Vw
```

... and so on. Then report them at the very end.

**MORAL:** There are usually many ways to solve a problem!